# Optimal Taxation of Multinational Enterprises: A Ramsey Approach

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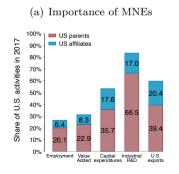
"International Policy Coordination and Competition"

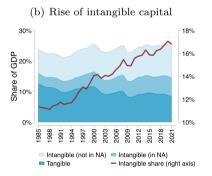
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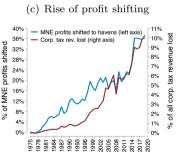
## How should the international tax system be designed?

Classic macro public finance question: Feldstein, Hartman (1979), Gordon (1986), Keen and Wildasin (2004), Costinot and Werning (2018), Chari, Nicolini, Teles (2022)

We revisit this question by emphasizing 3 key features of modern global economy:







## How should multinational enterprises' profits be taxed?

Current corporate tax paradigm: harmonizing corporate taxes across countries and shutting down profit shifting would benefit global economy

- ▶ October 2021: 136 countries signed on to OECD/G20 proposal of 15% global minimum tax
- $\blacktriangleright$  December 2022: EU passed resolution requiring implementation by end of 2023

Our view: profit shifting has benefits as well as costs

- ▶ Dyrda et al. 2022 (positive): Increases return on intangible investment. MNEs would respond to OECD/G20 plan by doing less of this investment. Global economy would shrink.
- ▶ This paper (normative): Creates opening for corporate taxes to make cross-country allocation of intangible investment more efficient. Optimal to allow MNEs to shift profits.

#### What we do

- 1. Theory: Optimal taxation of corporate income in multi-country neoclassical growth model with three ingredients designed to capture key features of modern global economy:
  - ▶ MNEs and nonrival intangible capital
  - ► International technology spillovers through FDI
  - ▶ Profit shifting via transfer pricing of intangible income
- 2. Quantification: Ramsey problems in calibrated model with three additional ingredients:
  - ► Asymmetric countries
  - ► Heterogeneous firms
  - ▶ Selection into exporting, multinational activity, and profit shifting

#### What we find

#### 1. Theory

- ▶ No profit shifting: Spillover externality prevents planner from using corporate taxes to achieve efficient allocation of intangible investment
- ▶ With profit shifting: Planner can use corporate income taxes to fully internalize externality
- ▶ Caveat: Corporate taxes create intertemporal distortions. Planner needs to offset with capital income taxes to achieve Pareto optimality. Chamley-Judd no longer holds.

#### 2. Quantification

- ▶ No restrictions: Adverse intertemporal effects dominate. Large corporate tax cuts in high-tax rich countries, eliminate profit shifting.
- ▶ Restricted to Pareto improvements: Smaller tax cuts, profit shifting similar to status quo

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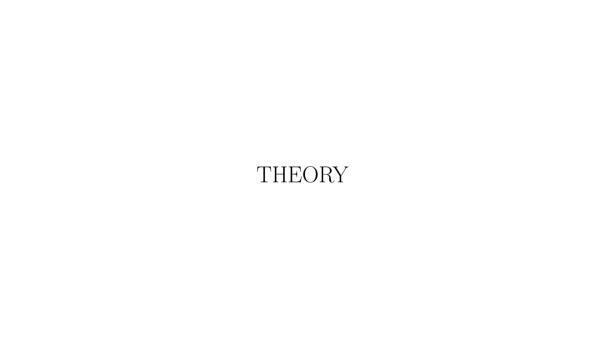
#### Outline

#### 1. Theory

- ► Preferences and technology
- ► Pareto frontier
- ▶ Competitive equilibrium with transfer pricing and profit shifting
- ▶ Implications of spillovers and profit shifting for Ramsey planner
- ▶ Implementing a Pareto-optimal allocation

#### 2. Quantification

- ► Overview of firm heterogeneity and selection margins
- ► Calibration overview
- ► Ramsey policies



#### Environment overview

- ▶ Multi-country BKK with distortionary taxation as in Chari, Nicolini, Teles (2022)
  - ▶ Representative consumers with standard preferences
  - ► Nontradable final goods
  - ► Country-specific intermediate goods
  - $\blacktriangleright$  Governments that finance public consumption using distortionary taxes
- ▶ Add multinationals and intangible capital as in McGrattan and Prescott (2009,2010)
- ▶ Add spillover externality in intangible capital production
- ▶ Add transfer pricing and profit shifting as in Dyrda et al. (2022)

## Preferences and final goods

▶ Preferences

$$U^{i} = \sum_{t=0}^{\infty} \beta^{t} u^{i} \left( c_{it}, h_{it} \right).$$

▶ Nontradable final goods produced according to CRS technology:

$$q_{it} = G^i(\underbrace{q_{1it}, ..., q_{Iit}}_{ \text{Domestic or imported}}, \underbrace{\underbrace{\hat{q}_{1it}, ..., \hat{q}_{Iit}}_{ \text{Foreign goods}}}).$$

- ▶ First I elements are domestically-produced intermediates (which are imported when  $j \neq i$ )
- ightharpoonup Last I-1 elements are foreign intermediates produced locally in country i
- ► Resource constraint

$$q_{it} = c_{it} + g_i + k_{it+1} - (1 - \delta)k_{it}$$

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## Intermediate goods and rival production factors

 $\blacktriangleright$  Country i's intermediate produced in country j according to DRS technology:

$$y_{ijt} = F^{ij}\left(z_{it}, k_{ijt}, l_{ijt}
ight)$$
 ,

- $\triangleright$   $z_{it}$ : Nonrival intangible capital produced in home country i
- ▶  $k_{ijt}$ ,  $\ell_{ijt}$ : Rival local factors from country j
- ► Resource constraints for intermediate goods

$$y_{iit} = q_{iit} + \sum_{j \neq i} q_{ijt}$$
$$y_{ijt} = \hat{q}_{ijt} \quad \forall_{j \neq i}$$

▶ Resource constraints for factors of production

$$k_{it} = \sum_{j=1}^{I} k_{jit}, \quad h_{it} = \sum_{j=1}^{I} \ell_{jit} + \ell_{it}^{z}.$$

## Nonrival intangible capital

▶ Intangible capital  $z_{it}$  produced using domestic R&D labor  $\ell^z_{it}$ :

$$z_{it} = \mathit{H}^{i}(\ell^{z}_{it}; \{\ell^{z}_{jt}\}_{j 
eq i})$$

- ▶ Spillover effect: for eign countries' R&D efforts enhance productivity of  $\ell^z_{it}$
- ▶  $H_j^i := \partial H^i / \partial l_{ji}^z$ : marginal product of an additional unit of research labor in country j in producing intangible capital in country i
- ▶  $H_j^i > 0$  for  $j \neq i$ : the spillover effect is positive
- ▶ Simple way to capture technology transfer via FDI
  - ▶ e.g. Javorcik (2004) and Bitzer, Kerekes (2008)

#### Pareto frontier

- ► Standard static and intertemporal conditions from Chari, Nicolini, Teles (2022)
- ▶ New condition for optimal level of intangible investment:

$$\frac{F_{\ell}^{ii}}{F_{z,t}^{ii}H_{i}^{i}} = 1 + \underbrace{\sum_{j \neq i} \frac{u_{c}^{j}G_{i,t}^{j}F_{z}^{ij}}{u_{c}^{i}G_{i}^{i}F_{z}^{ii}}}_{\text{Nonrivalry effect}} + \underbrace{\sum_{j \neq i} \left[ \frac{H_{i}^{j}}{H_{i}^{i}} \left( \frac{G_{j}^{i}F_{z}^{ji}}{G_{i}^{i}F_{z}^{ii}} + \frac{u_{c}^{j}G_{j}^{j}F_{z}^{jj}}{u_{c}^{i}G_{i}^{i}F_{z}^{ii}} \right) + \sum_{k \neq i,j} \frac{H_{i}^{k}}{H_{i}^{i}} \frac{u_{c}^{j}G_{k}^{j}F_{z}^{kj}}{u_{c}^{i}G_{i}^{i}F^{i}i_{z}} \right]}_{\text{Spillover effect}}$$

- ▶ Left side: Marginal rate of technical substitution between production labor and R&D labor in home country
- $\blacktriangleright$  Nonrivalry effect: worldwide gains from higher output of i's intermediate good in all countries
- $\blacktriangleright$  Spillover effect: worldwide gains from higher output of other countries' intermediates due to increased R&D productivity

## Market arrangements and competitive equilibrium

- ► Consumers and final-good producers as in BKK
- $\blacktriangleright$  Governments finance spending using distortionary taxes  $\tau^p_{it}$  on corporate income
- ► Intermediate-good MNEs maximize global after-tax profits
- ► Transfer pricing and profit shifting work as in Dyrda et al. (2022)
  - lacktriangle Each division pays per-unit intangible capital licensing fee  $\vartheta_{ijt} = MRP_{zt}^{ij}$
  - ▶ Market value of intangible capital = sum of licensing fees:  $\boldsymbol{\vartheta}_i = \sum_{j=1}^{I} \boldsymbol{\vartheta}_{ijt}$
  - ▶ By default, domestic parent owns intangible capital and collects fees from foreign affiliates
  - $\blacktriangleright$  Can sell fraction  $\lambda$  of licensing rights to tax haven with tax rate  $\tau^p_{TH}$
  - ▶ Sale occurs at markdown  $\varphi$  < 1 below market value. Incurs convex cost  $\mathcal{C}(\lambda)$ .
  - ▶ For now, no economic activity takes place in tax haven. Relax in quantification.

## MNE's problem – second stage

- $\triangleright$  Given intangible capital  $z_{it}$ , choose how must to produce in each location to maximize profits
- ▶ Domestic parent division that produces  $y_{ii}$ :

$$egin{aligned} \pi_{ii}\left(z_{i}
ight) = \max_{\left\{m{\ell}_{ii}, k_{ii}, q_{ij}
ight\}_{j=1}^{I}} (1 - au_{i}^{p}) \left[p_{ii}q_{ii} + \sum_{j 
eq i} p_{ij}q_{ij} - w_{i}m{\ell}_{ii} - \delta p_{i}k_{ii}
ight] - r_{i}k_{ii} \end{aligned}$$

▶ Foreign affiliates that produce  $y_{ij}$ ,  $j \neq i$ :

$$\pi_{ij}\left(z_{i}\right) = \max_{\boldsymbol{\ell}_{ij}, k_{ij}, \hat{q}_{ij}} \left(1 - \tau_{j}^{p}\right) \left[\hat{p}_{ij}\hat{q}_{ij} - w_{j}\boldsymbol{\ell}_{ij} - \delta p_{j}k_{ij}\right] - r_{j}k_{ij}$$

Note: tangible capital costs other than depreciation is <u>not tax-deductable</u>, which means that increasing  $\tau_i^p$  reduces  $k_{ij}$ .

## MNE's problem – first stage

► Choose intangible investment and profit shifting to maximize global profits:

$$d_{i} = \max_{z_{i}, \lambda_{i}} \left\{ \overbrace{\pi_{ii}(z_{i}) - (1 - \tau_{i}^{p}) w_{i} \ell_{i}^{z}}^{\text{Domestic parent profits}} + \sum_{j \neq i}^{\text{Foreign affiliate profits}} \underbrace{\sum_{i=1}^{\text{Foreign affiliate profits}} \underbrace{\sum_{i=$$

- ▶ Note: R&D labor is tax-deductable, which means that increasing  $\tau_i^p$  does not reduce  $z_i$
- ▶ Instead, reduces foreign affiliates' tax rates rate relative to rate at which R&D costs are deducted, which increases  $z_i$

## Intangible investment wedge – without profit shifting

$$\frac{F_{\ell}^{ii}}{H_{\ell}^{i}F_{z}^{ii}} = 1 + \sum_{j \neq i} \frac{(1 - \tau_{j}^{p})p_{ij}F_{z}^{ij}}{(1 - \tau_{i}^{p})p_{ii}F_{iiz}} = 1 + \sum_{j \neq i} \left(\frac{u_{c}^{j}}{u_{c}^{i}}\frac{G_{\hat{i}}^{j}}{G_{\hat{i}}^{i}}\frac{F_{z}^{ij}}{F_{z}^{ii}}\right) \left(\frac{1 - \tau_{j}^{p}}{1 - \tau_{i}^{p}}\right)$$

#### Proposition

Without profit shifting, Ramsey planner <u>cannot</u> achieve efficient allocation of intangible investment.

#### Intuition:

- ▶  $(1 \tau_j^p)/(1 \tau_i^p)$  has to be > 1 for some countries but < 1 for others, but spillover effect strictly positive for all countries
- ▶ Still holds with transfer pricing but no profit shifting. Corporate taxes do not show up at all, so planner has no ability whatsoever to affect allocation of intangible investment.

## Intangible investment wedge – with profit shifting

$$\frac{F_{\ell}^{ii}}{H_{\ell}^{i}F_{z}^{ii}} = \left[1 + \sum_{j \neq i} \left(\frac{u_{c}^{j}}{u_{c}^{i}} \frac{G_{i}^{j}}{G_{i}^{i}} \frac{F_{z}^{ij}}{F_{z}^{ii}}\right)\right] \underbrace{\left\{1 - \mathcal{C}\left(\lambda_{i}\right) + \frac{\lambda_{i}\left(1 - \varphi\right)\left(\tau_{i}^{p} - \tau_{TH}^{p}\right)}{\left(1 - \tau_{i}^{p}\right)}\right\}}_{\mathcal{P}\left(\tau_{i}^{p}\right) \geq 1, \ \ \angle \inf \tau_{i}^{p}}$$

#### Proposition

In baseline model with transfer pricing and profit shifting, Ramsey planner <u>can</u> achieve efficient allocation of intangible investment.

#### Intuition:

- ▶ After-tax return on intangible investment can be driven arbitrarily high by increasing  $\tau_i^p$  due to tax-deductability of RD costs
- ▶ The higher  $\tau_i^p$ , the more RD costs can be deducted while earning same profit on licensing fees taxed booked in tax haven

#### Intangible investment wedge – no spillovers

Without spillovers, only nonrivalry effect operates. Pareto-efficient allocation satisfies

$$\frac{F_{\ell}^{ii}}{F_{z}^{ii}H_{i}^{i}} = 1 + \sum_{j \neq i} \frac{u_{c}^{j} G_{i}^{j} F_{z}^{ij}}{u_{c}^{i} G_{i}^{i} F_{z}^{ii}}$$

#### Proposition

Without spillovers, planner <u>can</u> achieve efficient allocation of intangible investment by setting corporate income taxes to zero in all countries, both with and without profit shifting.

## Tension between static and dynamic efficiency

▶ Efficient intangible investment requires  $\tau_i^p > 0$ . Implies wedge in tangible Euler equation:

$$\frac{u_{c,t}^{i}}{\beta u_{c,t+1}^{i}} = 1 + \left(1 - \tau_{it+1}^{p}\right) \left(G_{i,t+1}^{i} F_{k,t+1}^{ii} - \delta\right)$$

► Corporate taxes reduce tangible investment due to non-deductability of depreciation. Overall effect on intangible investment ambiguous:

$$z_{i} = \left\{ \left[ \underbrace{(1 - \tau_{i}^{p})^{\frac{\alpha}{1 - \gamma - \alpha}} \hat{r}(\tau_{i}^{p})}_{\text{(i): } \searrow \text{ in } \tau_{i}^{p}} \Lambda_{i} + \underbrace{\sum_{j \neq i} \left(1 - \tau_{j}^{p}\right)^{\frac{\alpha}{1 - \gamma - \alpha}} \hat{r}\left(\tau_{j}^{p}\right)}_{\text{unaffected by } \tau_{i}^{p}, \ \searrow \text{ in } \tau_{j}^{p}} \Lambda_{j} \right] \underbrace{\mathcal{P}(\tau_{i}^{p})}_{\text{(ii): } \nearrow \text{ in } \tau_{i}^{p}} \right\}^{\frac{1 - \gamma - \alpha}{1 - \phi - \alpha - \gamma}}$$

- ▶ If (i) is stronger than (ii), raising corporate taxes in attempt to correct externality backfires. Stronger spillover amplifies this effect.
- ▶ Planner cannot implement Pareto-optimal allocation using corporate income taxes alone

## Implementing a Pareto-optimal allocation

#### Proposition

Suppose planner also has access to tangible capital income taxes  $\tau_{it}^k$ . Then:

- ▶ With spillovers and profit shifting, planner can implement Pareto-optimal allocation by setting  $\tau_{it}^p$  so that  $P(\tau_{it}^p)$  corrects externality, and  $\tau_{it}^k = -\tau_{it}^p$  to eliminate intertemporal wedge.
- $\blacktriangleright \ \ With \ spillovers \ but \ no \ profit \ shifting, \ planner \ can \ never \ implement \ a \ Pareto-optimal \ allocation.$
- $\blacktriangleright$  Without spillovers, setting  $\tau_{it}^p = \tau_{it}^k = 0$  always implements Pareto-optimal allocation.

- ▶ With spillovers, Chamley-Judd doesn't hold. Need non-zero capital income taxes to eliminate intertemporal wedge.
- ▶ Other instruments that implement Pareto-optimal allocations: R&D subsidies; bilateral taxes on MNE profits,...



#### Overview

- ▶ Quantitative version of model accounts for importance of firm heterogeneity in MNE activity, R&D, and profit shifting
  - ▶ Firms are heterogeneous in productivity
  - ▶ Exporting and establishing foreign affiliates require fixed costs
  - ▶ In terms of #: non-exporters > exporters > MNEs > profit-shifting MNEs
  - ▶ In terms or size: non-exporters < exporters < MNEs < profit-shifting MNEs
- ▶ Calibrate model to match salient facts about production, trade, intangible investment, MNE activity, and profit shifting under current international tax regime
- ▶ Solve for cooperative global Ramsey planner's optimal corporate tax system

#### Firms in quantitative model

- ▶ Productivity heterogeneity and monopolistic competition as in Chaney (2008)
- $\blacktriangleright$  Choices of firm based in region *i*:
  - ▶  $J_X \subseteq I$ : set of export destinations, subject to fixed cost  $\kappa_{ij}^X$
  - ▶  $J_F \subseteq I$ : set of foreign affiliate locations, subject to fixed cost  $\kappa_{ij}^F$
  - ightharpoonup z: Intangible investment technology on next slide
  - ▶  $\ell_j$ ,  $k_j$ : rival local factors for  $j \in J_F \cup \{i\}$
  - $\triangleright$   $\lambda$ : share of intangible capital to shift
- ▶ Allow simultaneous exporting and FDI  $(J_X \cap J_F \neq \emptyset)$  as in Garetto et al. (2019) and McGrattan and Waddle (2020)
- ▶ Interdependence between z and  $(J_F, \lambda)$  makes MNEs (especially those that shift profits) more intangible-intensive, but also makes for complex combinatorial optimization problem

## Spillovers in quantitative model

► Parameterize R&D technology as

$$z_i(\omega) = A_i \times \ell_i^z(\omega) \times \tilde{Z}_i^{\upsilon}$$
, where  $\tilde{Z}_i = \sum_{j \neq i} \int_{\Omega_{ji}} z_i(\omega') d\omega'$ 

- $ightharpoonup \tilde{Z}_i = \text{intangible capital of foreign MNEs with affiliates in } i$
- ▶  $\upsilon$  governs strength of spillover effect. No spillovers when  $\upsilon = 0$ .
- ▶ Fixed-point problem. Each firm's choice needs to be consistent with all other firms' choices:

$$z_i(\omega) = F\left(\left\{z_j(\omega')\right\}_{\substack{j \neq i \\ \omega' \in \Omega_j}}\right)$$

#### Calibration overview

- ► Aggregation
  - ▶ High-tax regions: North America (NA), Europe (EU), Rest of the World (RW)
  - ▶ Low tax region (LT): Belgium, Switzerland, Netherlands, Ireland, etc.
  - ► Tax haven (TH): Antigua, Aruba, the Bahamas, Barbados, etc.
  - ▶ Firms from high-tax regions can shift profits to either LT and/or TH
- ▶ Identification of key parameters
  - ▶ TFP and prod. dispersion: GDP and firm size dist.
  - ▶ Intangible share: foreign MNEs' intangible share
  - ▶ Trade costs: num. exporters, trade flows
  - ▶ FDI costs: num. MNEs, foreign MNEs' VA shares
  - ▶ Profit shifting costs: Tørsløv et al. (2022) country-level estimates of lost profits
- ▶ Spillover v hard to calibrate. Compare model with v = 0 vs. v > 0.

#### Ramsey problem and key tradeoffs

- ▶ Objective: population-weighted welfare in long-run steady state
- ▶ Instruments:  $\{\tau_i^p\}_{i=1}^I$ . Labor taxes adjust to restore fiscal balance. No other instruments.
- ► Many competing effects of raising CIT:
  - ▶ With spillovers, fixes externality through profit shifting channel as in theory
  - ▶ Reduces tangible investment via intertemporal wedge. May also reduce intangible investment if this effect is stronger than profit shifting channel.
  - $\blacktriangleright$  Raises CIT revenues, which allows reduces intratemporal wedge by lowering labor income taxes
  - ► Affects profit shifting
    - $\blacktriangleright$   $i \neq LT$ : increases profit shifting, reduces domestic revenues but increases LT's revenues
    - $\blacktriangleright$  i=LT: reduces profit shifting, reduces domestic revenues but increases other countries' revenues

	NA	EU	LT	RW
(a) No spillovers				
Corp tax (%)	16.0	5.7	18.8	18.7
Corp. tax (p.p. chg.)	-6.5	-11.6	7.4	1.3
Welfare (% chg.)	0.07	-0.28	-1.13	0.11
Intang. cap. (% chg.)	4.6	7.6	-2.9	-0.4
Lost profits (bench.=100)	38.6	3.4	0.0	90.3
(b) Spillovers				
Corp tax $(\%)$	11.8	2.0	18.5	18.4
Corp. tax (p.p. chg.)	-10.7	-15.3	7.1	1.0
Welfare (% chg.)	-0.07	-0.54	-1.09	0.18
Intang. cap. (% chg.)	7.6	10.2	-2.2	0.3
Lost profits (bench.=100)	20.2	0.0	0.0	87.6

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▶ Primary objective: restructure tax system to benefit RW, which is larger and poorer than other regions

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- ➤ Spillovers allow planner to increase RW's welfare by 60% more. But also hurts high-tax rich countries more.

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- ➤ Spillovers allow planner to increase RW's welfare by 60% more. But also hurts high-tax rich countries more.
- ► Lowering CIT increases intangible investment. Intertemporal distortion channel stronger than profit shifting.

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- ► Primary objective: restructure tax system to benefit RW, which is larger and poorer than other regions
- ➤ Spillovers allow planner to increase RW's welfare by 60% more. But also hurts high-tax rich countries more.
- ► Lowering CIT increases intangible investment. Intertemporal distortion channel stronger than profit shifting.
- ► Optimal to shut down profit shifting as much as possible. Even with spillovers, negative effect on tax revenues dominates externality.

	NA	$\mathrm{EU}$	$\operatorname{LT}$	RW
(a) No spillovers				
Corp tax (%)	18.6	16.0	10.1	18.2
Corp. tax (p.p. chg.)	-3.9	-1.3	-1.3	0.8
Welfare (% chg.)	0.04	0.00	0.00	0.01
Intang. cap. (% chg.)	2.6	1.1	1.3	-0.3
Lost profits (bench.=100)	70.2	97.5	113.6	118.2
(b) Spillovers				
Corp tax (%)	16.0	16.0	9.3	17.9
Corp. tax (p.p. chg.)	-6.5	-1.3	-2.1	0.5
Welfare (% chg.)	0.02	0.00	0.00	0.03
Intang. cap. (% chg.)	4.4	1.2	1.9	0.0
Lost profits (bench.=100)	52.2	105.0	120.3	117.5

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(a) No spillovers				
Corp tax (%)	18.6	16.0	10.1	18.2
Corp. tax (p.p. chg.)	-3.9	-1.3	-1.3	0.8
Welfare (% chg.)	0.04	0.00	0.00	0.01
Intang. cap. (% chg.)	2.6	1.1	1.3	-0.3
Lost profits (bench.=100)	70.2	97.5	113.6	118.2
(b) Spillovers				
Corp tax (%)	16.0	16.0	9.3	17.9
Corp. tax (p.p. chg.)	-6.5	-1.3	-2.1	0.5
Welfare (% chg.)	0.02	0.00	0.00	0.03
Intang. cap. (% chg.)	4.4	1.2	1.9	0.0
Lost profits (bench.=100)	52.2	105.0	120.3	117.5

► Smaller tax cuts in NA and EU required to satisfy promise-keeping

NA	$\mathrm{EU}$	LT	RW
18.6	16.0	10.1	18.2
-3.9	-1.3	-1.3	0.8
0.04	0.00	0.00	0.01
2.6	1.1	1.3	-0.3
70.2	97.5	113.6	118.2
16.0	16.0	9.3	17.9
-6.5	-1.3	-2.1	0.5
0.02	0.00	0.00	0.03
4.4	1.2	1.9	0.0
52.2	105.0	120.3	117.5
	18.6 -3.9 0.04 2.6 70.2 16.0 -6.5 0.02 4.4	18.6 16.0 -3.9 -1.3 0.04 0.00 2.6 1.1 70.2 97.5 16.0 16.0 -6.5 -1.3 0.02 0.00 4.4 1.2	18.6     16.0     10.1       -3.9     -1.3     -1.3       0.04     0.00     0.00       2.6     1.1     1.3       70.2     97.5     113.6       16.0     16.0     9.3       -6.5     -1.3     -2.1       0.02     0.00     0.00       4.4     1.2     1.9

- ► Smaller tax cuts in NA and EU required to satisfy promise-keeping
- ▶ Spillovers help design system that still primarily benefits RW. Without spillovers, NA benefits most.

NA	EU	$\operatorname{LT}$	RW
18.6	16.0	10.1	18.2
-3.9	-1.3	-1.3	0.8
0.04	0.00	0.00	0.01
2.6	1.1	1.3	-0.3
70.2	97.5	113.6	118.2
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4.4	1.2	1.9	0.0
52.2	105.0	120.3	117.5
	18.6 -3.9 0.04 2.6 70.2 16.0 -6.5 0.02 4.4	18.6 16.0 -3.9 -1.3 0.04 0.00 2.6 1.1 70.2 97.5 16.0 16.0 -6.5 -1.3 0.02 0.00 4.4 1.2	18.6 16.0 10.1 -3.9 -1.3 -1.3 0.04 0.00 0.00 2.6 1.1 1.3 70.2 97.5 113.6 16.0 16.0 9.3 -6.5 -1.3 -2.1 0.02 0.00 0.00 4.4 1.2 1.9

- ► Smaller tax cuts in NA and EU required to satisfy promise-keeping
- ► Spillovers help design system that still primarily benefits RW. Without spillovers, NA benefits most.
- ▶ Allow profit shifting to continue. More profits shifted to LT than under status quo.

## Ramsey policy – Constrained, planner also chooses $au_{TH}^p$

	NA	EU	$\operatorname{LT}$	RW	$\mathrm{TH}$
(a) No spillovers					
Corp tax (%)	19.9	16.8	11.4	18.7	5.9
Corp. tax (p.p. chg.)	-2.6	-0.5	0.0	1.3	2.6
Welfare (% chg.)	0.09	0.02	0.00	0.04	_
Intang. cap. (% chg.)	1.7	0.4	0.4	-0.8	_
Lost profits (bench.=100)	65.4	85.4	105.5	100.0	_
(b) Spillovers					
Corp tax (%)	14.6	16.2	9.6	18.2	7.0
Corp. tax (p.p. chg.)	-7.9	-1.1	-1.8	0.8	3.7
Welfare (% chg.)	0.01	0.04	0.00	0.07	_
Intang. cap. (% chg.)	5.2	1.1	1.8	-0.2	_
Lost profits (bench.=100)	27.9	90.4	117.4	93.6	_

# Ramsey policy – Constrained, planner also chooses $au_{TH}^p$

	NA	$\mathrm{EU}$	$\operatorname{LT}$	RW	$\mathrm{TH}$
(a) No spillovers					
Corp tax (%)	19.9	16.8	11.4	18.7	5.9
Corp. tax (p.p. chg.)	-2.6	-0.5	0.0	1.3	2.6
Welfare (% chg.)	0.09	0.02	0.00	0.04	
Intang. cap. (% chg.)	1.7	0.4	0.4	-0.8	_
Lost profits (bench.=100)	65.4	85.4	105.5	100.0	_
(b) Spillovers					
Corp tax (%)	14.6	16.2	9.6	18.2	7.0
Corp. tax (p.p. chg.)	-7.9	-1.1	-1.8	0.8	3.7
Welfare (% $^{\mathrm{chg.}}$ )	0.01	0.04	0.00	0.07	_
Intang. cap. (% chg.)	5.2	1.1	1.8	-0.2	_
Lost profits (bench.=100)	27.9	90.4	117.4	93.6	

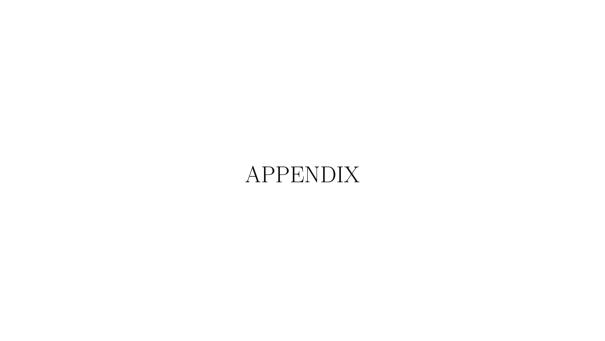
- ► If planner can choose tax haven's tax rate as well, raise it only slightly
- ► Do not shut down profit shifting to TH even though planner puts no weight on it
- ➤ Optimal tax rate in TH far less than 15% minimum proposed by OECD/G20



#### Conclusion

- ▶ Conventional view: multinational profit shifting bad for global economy
- ▶ Our theory: profit shifting has benefits as well as costs
  - ▶ Higher corporate taxes mean greater returns to profit shifting and more intangible investment
  - ▶ Provides planner with means to correct externality from FDI spillovers
- ▶ Our quantification: Optimal Pareto-improving corporate tax system would have similar amount of profit shifting to status quo

## Thank you!



#### Pareto frontier - CNT

▶ No intratemporal wedges condition:

$$-\frac{u_{c,t}^{i}}{u_{h,t}^{i}} = \frac{1}{G_{i,t}^{i}F_{l,t}^{ii}} = \frac{1}{G_{\hat{\jmath},t}^{i}F_{l,t}^{ji}} \quad \forall_{i}, \forall_{j \neq i}$$

► No intertemporal wedges:

$$\frac{u_{c,t}^i}{\beta u_{c,t+1}^i} = (1 - \delta) + G_{i,t+1}^i F_{k,t+1}^{ii} = (1 - \delta) + G_{\hat{j},t+1}^i F_{k,t+1}^{ji} \qquad \forall_i, \forall_{j \neq i}$$

► Static production efficiency

$$\frac{G_{n,t}^{i}}{G_{m,t}^{i}} = \frac{G_{n,t}^{m} u_{c,t}^{n}}{G_{m,t}^{m} u_{c,t}^{m}} \qquad \forall_{i}, \forall_{m,n \neq i}$$

Dynamic production efficiency

$$\frac{G_{j,t}^{i}}{G_{j,t+1}^{i}}\left((1-\delta)+G_{i,t+1}^{i}F_{k,t+1}^{ii}\right)=\left(\frac{G_{j,t}^{j}u_{c,t}^{j}}{G_{j,t+1}^{j}\beta u_{c,t+1}^{j}}\right) \qquad \forall_{i},\forall_{j\neq i}$$

1

## Wedges in Competitive Equilibrium

#### 1. Labor wedge

$$-\frac{u_{c,t}^i}{u_{h,t}^i} = \frac{(1+\tau_{it}^c)}{\left(1-\tau_{it}^h\right)} \frac{1}{G_{i,t}^i F_{l,t}^{ii}} = \frac{(1+\tau_{it}^c)}{\left(1-\tau_{it}^h\right)} \frac{1}{G_{\hat{j},t}^i F_{l,t}^{ji}} \quad \forall_i, \forall_{j \neq i},$$

#### 2. Investment wedge

$$\begin{split} \frac{u_{c,t}^{i}}{\beta u_{c,t+1}^{i}} &= \frac{(1+\tau_{it}^{c})}{\left(1+\tau_{it+1}^{c}\right)} \left[1+\left(1-\tau_{it+1}^{p}\right) \left(G_{i,t}^{i}F_{k,t+1}^{ii}-\delta\right)\right] \\ &= \frac{(1+\tau_{it}^{c})}{\left(1+\tau_{it+1}^{c}\right)} \left[1+\left(1-\tau_{it+1}^{p}\right) \left(G_{\hat{\jmath},t}^{i}F_{k,t+1}^{ji}-\delta\right)\right] \quad \forall_{i}, \forall_{j\neq i}. \end{split}$$

#### Wedges in Competitive Equilibrium

**3.** Static wedge (static production inefficiency)

$$\frac{\left(1 - \tau_{nit}^{x}\right)\left(1 + \tau_{mit}^{m}\right)}{\left(1 + \tau_{nit}^{m}\right)\left(1 - \tau_{mit}^{x}\right)} \frac{G_{n,t}^{i}}{G_{m,t}^{i}} = \frac{p_{nt}}{p_{mt}} \frac{G_{n,t}^{n}}{G_{m,t}^{m}} \quad \forall_{i}, \forall_{m,n \neq i},$$

4. Dynamic wedge (dynamic production inefficiency)

$$\begin{split} \frac{\left(1+\tau_{jit+1}^{m}\right)\left(1-\tau_{jit}^{x}\right)}{\left(1-\tau_{jit+1}^{m}\right)} \frac{G_{j,t}^{i}}{G_{j,t+1}^{i}} \left[1+\left(1-\tau_{it+1}^{p}\right)\left(G_{i,t+1}^{i}F_{k,t+1}^{ii}-\delta\right)\right] = \\ \frac{G_{j,t}^{j}}{G_{j,t+1}^{j}} \left[1+\left(1-\tau_{jt+1}^{p}\right)\left(G_{j,t+1}^{j}F_{k,t+1}^{jj}-\delta\right)\right]. \end{split}$$

3

#### Theory details: solution for $z_i$ – free transfer

- ► Assume  $F^{ij}(z, k, \ell) = A_j z^{\phi} k^{\alpha} \ell^{\gamma}$  as in McGrattan and Prescott (2009,2010)
- ▶ Without transfer pricing or profit shifting (i.e.  $\vartheta_{ij} = 0$ ) MNE's intangible capital given by

$$z_i = \left(\underbrace{\left(1 - \tau_i^p\right)^{\frac{\alpha}{1 - \gamma - \alpha}} \hat{r}\left(\tau_i^p\right)}_{\text{(i): } \searrow \text{ in } \tau_i^p} \Lambda_i + \underbrace{\left(1 - \tau_j^p\right)^{\frac{1 - \gamma}{1 - \gamma - \alpha}}}_{\text{(ii): } \nearrow \text{ in } \tau_i^p, \ \searrow \text{ in } \tau_j^p} \hat{r}\left(\tau_j^p\right) \Lambda_j \right)^{\frac{1 - \gamma - \alpha}{1 - \gamma - \alpha - \phi}}$$

where 
$$\hat{r}\left(\tau_{i}^{p}\right) = \left(\frac{r_{i}+p_{i}\delta}{r_{i}+\left(1-\tau_{i}^{p}\right)p_{i}\delta}\right)^{\alpha} \nearrow \text{ in } \tau_{i}^{p} \text{ and } \Lambda_{i}, \Lambda_{j} \text{ are constant in partial equilibrium}$$

- (i) Partial non-deductability of tangible investment  $\Rightarrow k_{ii} \setminus \text{in } \tau_i^p$
- (ii) Full deductability of intangible investment  $\Rightarrow$  higher  $\tau^p_i$  makes  $\tau^p_j$  "feel" lower

#### Theory details: solution for $z_i$ – transfer pricing

▶ With transfer pricing but no profit shifting (i.e., assume  $\lambda_i = 0$ ), solution becomes

$$z_i = \left(\underbrace{\left(1 - \tau_i^p\right)^{\frac{\alpha}{1 - \gamma - \alpha}} \hat{r}\left(\tau_i^p\right)}_{\text{(i): } \searrow \text{ in } \tau_i^p} \mathsf{\Lambda}_i + \underbrace{\left(1 - \tau_j^p\right)^{\frac{\alpha}{1 - \gamma - \alpha}} \hat{r}\left(\tau_j^p\right)}_{\text{unaffected by } \tau_i^p, \ \searrow \text{ in } \tau_j^p} \right)^{\frac{1 - \gamma - \alpha}{1 - \gamma - \alpha - \phi}}$$

- $\blacktriangleright$  Intangible income in j now flows back to (and is taxed by) i. Term (ii) no longer operates.
- $ightharpoonup z_i \searrow$  unambiguously with both  $\tau_i^p$  and  $\tau_j^p$

#### Theory details: solution for $z_i$ – profit shifting

▶ In baseline model with profit shifting, solution is

$$z_{i} = \left[ \left( \underbrace{(1 - \tau_{i}^{p})^{\frac{\alpha}{1 - \gamma - \alpha}} \hat{r}(\tau_{i}^{p})}_{\text{(i): } \searrow \text{ in } \tau_{i}^{p}} \Lambda_{i} + \underbrace{(1 - \tau_{j}^{p})^{\frac{\alpha}{1 - \gamma - \alpha}} \hat{r}(\tau_{j}^{p})}_{\text{unaffected by } \tau_{i}^{p}, \searrow \text{ in } \tau_{j}^{p}} \right) \underbrace{\left( 1 - \mathcal{C}\left(\lambda_{i}\right) + \frac{\lambda_{i}\left(1 - \varphi\right)\left(\tau_{i}^{p} - \tau_{TH}^{p}\right)}{\left(1 - \tau_{i}^{p}\right)} \right)}_{\text{(ii): } \nearrow \text{ in } \tau_{i}^{p}} \right]^{\frac{1 - \gamma - \alpha}{1 - \phi - \alpha - \gamma}}$$

- ▶ Profit shifting increases intangible investment as in Dyrda et al. (2022)
- $\blacktriangleright$  Effect of  $\tau_i^p$  on  $z_i$  now ambiguous again

### Quantitative model details: final goods producer

The final goods producer of region i combines intermediate goods with a CES technology:

$$Q_j = \left[\sum_{i=1}^J \int_{\Omega_{ji}} q_{ji}(\omega)^{rac{arrho-1}{arrho}} d\omega
ight]^{rac{arrho}{arrho-1}}$$

- ▶  $\Omega_{ii}$ : the set of goods from *i* available in *j*.
- $ightharpoonup q_{ji}$ : quantity of inputs
- $\triangleright$   $\varrho$ : elas. of sub. between varieties

Demand curves:

$$p_{ji}(\omega) = P_i Q_i^{\frac{1}{\varrho}} q_{iji}(\omega)^{-\frac{1}{\varrho}}, \tag{1}$$

The price index is:

$$P_j = \left[\sum_{i=1}^J \int_{\Omega_{ji}} p_{ji}(\omega)^{1-arrho} d\omega
ight]^{rac{1}{1-arrho}}$$

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### Quantitative model details: accounting measures

Nominal GDP:

$$GDP_i = \sum_{i=1}^{I} \int_{\omega \in \Omega_j, i \in J_F(\omega)} p_{ji}(\omega) y_{ji}(\omega) \ d\omega.$$

Goods Trade:

$$EX_{i}^{G} = \sum_{j \neq i} \int_{\Omega_{i}} p_{ij}(\omega) \left(1 + \xi_{ij}\right) q_{ij}(\omega) d\omega,$$

$$IM_{i}^{G} = \sum_{j \neq i} \int_{\Omega_{i}} p_{ji}(\omega) \left(1 + \xi_{ji}\right) q_{ji}(\omega) d\omega.$$

Net factor receipts and payments:

$$NFR_i = \sum_{j \neq i} \int_{\Omega_i} \pi_{ij}(\omega) d\omega$$
  
 $NFP_i = \sum_{j \neq i} \int_{\Omega_j} \pi_{ji}(\omega) d\omega$ 

#### Quantitative model details: accounting measures

#### Services Trade:

- high-tax regions

$$\begin{split} EX_i^S &= \sum_{j \neq i} \int_{\Omega_i} \left[ 1 - \lambda_{LT}(\omega) - \lambda_{TH}(\omega) \right] \vartheta_{ij}(\omega) z(\omega) \ d\omega \\ IM_i^S &= \sum_{j \neq i} \int_{\Omega_i} \left[ \lambda_{LT}(\omega) + \lambda_{TH}(\omega) \right] \vartheta_{ij}(\omega) z(\omega) \ d\omega + \sum_{j \neq i} \int_{\Omega_j} \vartheta_{ji}(\omega) z(\omega) \ d\omega \end{split}$$

- low-tax regions:

$$\begin{split} EX_{LT}^S &= \sum_{j \neq i} \int_{\Omega_i} \left[ 1 - \lambda_{TH}(\omega) \right] \vartheta_{ij}(\omega) z(\omega) \ d\omega + \sum_{j \neq i} \int_{\Omega_j} \lambda_{LT} \vartheta_{ji}(\omega) z(\omega) \ d\omega \\ IM_{LT}^S &= \sum_{j \neq i} \int_{\Omega_i} \lambda_{TH}(\omega) \vartheta_{ij}(\omega) z(\omega) \ d\omega + \sum_{j \neq i} \int_{\Omega_j} \left[ 1 - \lambda_{LT}(\omega) \right] \vartheta_{ji}(\omega) z(\omega) \ d\omega \end{split}$$

- tax haven:

$$EX_{TH}^{S} = \sum_{j=1}^{I} \int_{\Omega_{j}} \lambda_{TH} \vartheta_{ji}(\omega) z(\omega) d\omega$$

### Quantitative model details: market clearing

#### Labor market:

$$L_{i} = \sum_{j=1}^{I} \int_{\Omega_{j}} \ell_{ji}(\omega) \ d\omega + \int_{\Omega_{i}} z \operatorname{production} \int_{\Omega_{i}} (\omega) / A_{i} \ d\omega + \int_{\Omega_{i}} \left( \sum_{j \in J_{X}(\omega)} \kappa_{i}^{X} + \sum_{j \in J_{F}(\omega)} \kappa_{i}^{F} + \lambda_{TH}(\omega) > 0 \kappa_{i}^{TH} \right) \ d\omega + \underbrace{\int_{\Omega_{i}} \left( C_{i,TH}(\lambda_{TH}) + C_{i,LT}(\lambda_{LT}) \right) \nu(\omega) z(\omega) \ d\omega}_{\text{costs of shifting } z}$$

Capital market:

$$K_i = \sum_{i=1}^{I} \int_{\Omega_j} k_{ji}(\omega) \ d\omega$$

Government budget constraint:

$$G_i = \tau_i \sum_{i=1}^{I} \int_{\Omega_i} \tilde{\pi}_{ji}(\omega) \ d\omega$$
, where  $\tilde{\pi}_{ij}(\omega)$  denotes taxable profits

Balance of payments:

$$EX_i^G + EX_i^S - IM_i^G - IM_i^S + NFR_i - NFP_i = 0$$

# Calibration: summary

Parameter	Description	Value(s)	Target/source
(a) Assigned	d parameters		
ρ	EoS between products	5	Standard
$1 - \gamma - \alpha$	Labor share	0.65	Standard
$N_{j}$	Population	Varies	World Development Indicators
$ au_j$	Corporate income tax rate	Varies	Tørsløv et al. (2021)
(b) Calibrat	ed parameters		
$\gamma$	Technology capital share	0.11	MNEs' intangible income share
$A_i$	Total factor productivity	Varies	Real GDP
$oldsymbol{\eta}_i$	Productivity dispersion	Varies	Large firms' employment share
$oldsymbol{\psi}_i$	Utility weight on leisure	Varies	$L_i = N_i/3$
$\xi_{ij}$	Variable export cost	Varies	Bilateral imports/GDP
$egin{array}{c} egin{array}{c} eta_{ij} \ oldsymbol{\kappa}_{i}^{X} \end{array}$	Fixed export cost	Varies	Pct. of firms that export
$\sigma_i$	Variable FDI cost	Varies	Foreign MNEs' share of value added
$\kappa_i^F$	Fixed FDI cost	Varies	Avg. emp. of firms w/ foreign affiliates
$\psi_{iLT}^{}$	Cost of shifting profits to LT	Varies	Total lost profits
$\boldsymbol{\psi}_{iTH}$	Cost of shifting profits to TH	Varies	Share of profits shifted to TH
$\kappa_i^{TH}$	Fixed cost of TH affiliate	Varies	Avg. emp. of firms w/ TH affiliates

## Calibration details: region-specific target moments

Region	NA	EU	$_{ m LT}$	RW	$\mathrm{TH}$
Population (NA = $100$ )	100	92	11	1,323	_
Real GDP ( $NA = 100$ )	100	80.78	14.57	297.10	_
Corporate tax rate (%)	22.5	17.3	11.4	17.4	3.3
Foreign MNEs' VA share (%)	11.12	19.82	28.73	9.55	_
Total lost profits (\$B)	143	216	_	257	_
Lost profits to TH (%)	66.4	44.5	_	71.1	_
Imports from (% GDP)					
NA	_	1.28	1.77	1.74	_
${ m EU}$	1.70	_	12.39	3.78	_
LT	0.35	2.98	_	0.59	_
RW	6.15	7.96	6.78	_	_

### Calibration details: internally-calibrated parameter values

Region	NA	EU	$_{ m LT}$	RW	$\mathrm{TH}$
TFP $(A_i)$	1.00	0.90	1.43	0.28	_
Prod. dispersion $(\eta_i)$	4.30	4.32	4.87	4.15	_
Utility weight on leisure $(\psi_i)$	1.46	1.49	1.51	1.47	_
Fixed export cost $(\kappa_i^X)$	2.5e-3	5.2e-3	1.5e-3	2.1e-2	_
Variable FDI cost $(\sigma_i)$	0.46	0.55	0.52	0.55	_
Fixed FDI cost $(\kappa_i^F)$	2.56	2.27	0.65	12.70	_
Cost of shifting profits to LT $(\psi_{iLT})$	3.73	0.42	_	2.73	_
Cost of shifting profits to TH $(\psi_{iTH})$	2.46	1.37	_	2.05	_
Fixed FDI cost to TH $(\kappa_i^{TH})$	0.13	0.08	_	0.75	_
Variable trade cost from					
NA	_	3.25	3.45	2.12	_
${ m EU}$	1.87	_	1.69	1.35	_
LT	2.00	1.59	_	1.58	_
RW	2.19	2.56	2.96	_	_

#### Calibration details: validation

▶ Share of corporate income taxes paid by foreign MNEs

Source	NA	EU	LT	RW
Data Model	16.65 $24.40$	$41.58 \\ 40.56$	72.40 $73.30$	16.32 $18.54$

- $\blacktriangleright$  Intangible shares of domestic-owned vs. for eign-owned firms
  - ► Cadestin et al. (2021): 22% vs. 28%
  - ▶ Model matches both exactly, although we only target foreign-owned firms' 28% share
- ► Global MNE spending on profit-shifting workers
  - ► Tørsløv et al. (2022): \$25 billion
  - ► Model: \$75 billion
- ► Firm-level semi-elasticity of domestic parent profits w.r.t. int'l tax gap
  - $\blacktriangleright$  Empirical estimates: avg. = 0.96, range = [0.79,1.11]
  - ▶ Model: 0.87